

Introduction

From the millions of miles of aging pipelines to the intricate workings of a wind turbine, ductile metals are ubiquitous. Of paramount importance in both the design and upkeep of structures composed of these materials is a predictive capability for their failure.

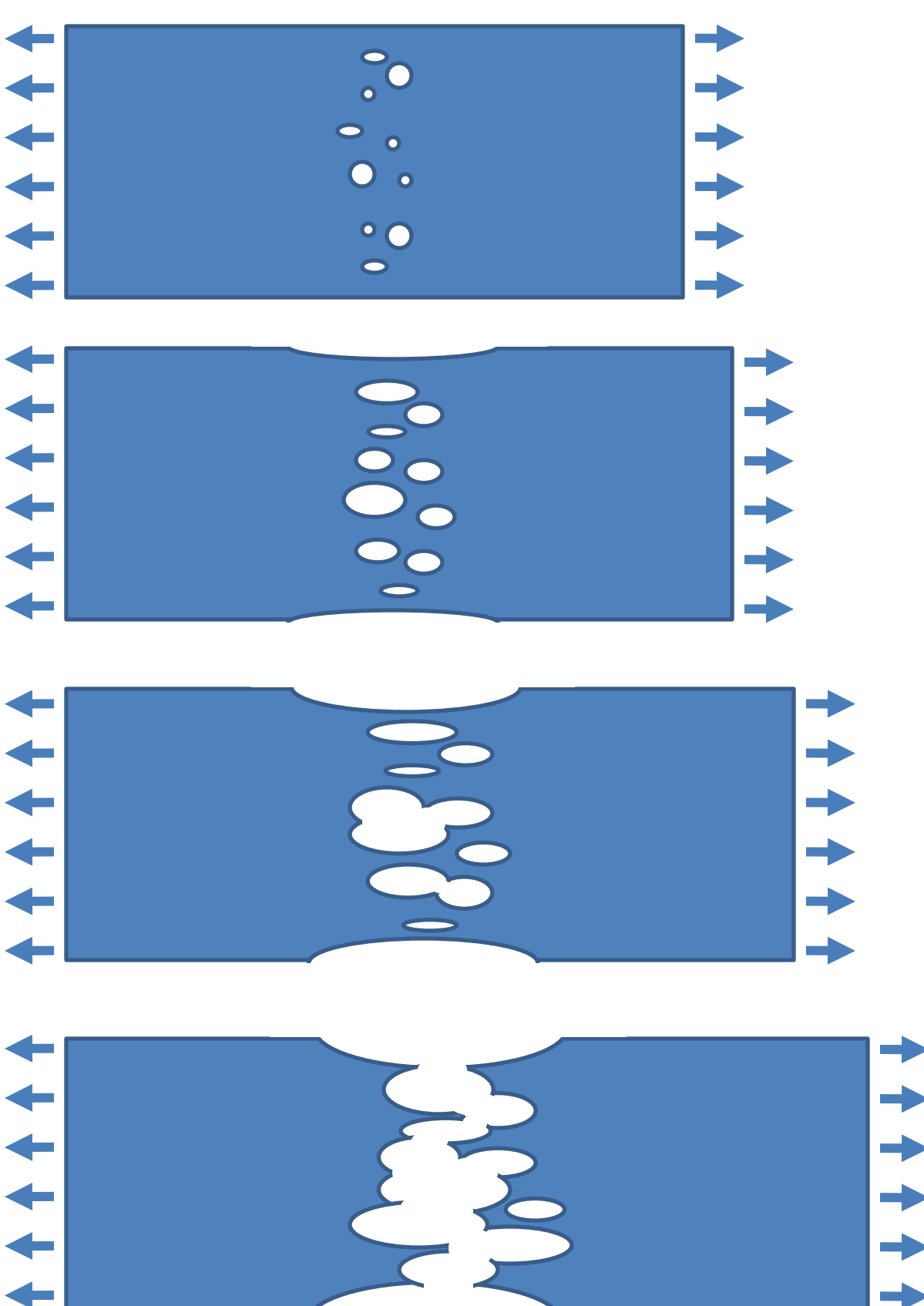


Traditionally, the failure of metals is modeled using phenomenological relationships that are fit to experimental testing data. In contrast, a **physics based failure model**, consistent with both the underlying failure mechanisms and experimental data, can provide a more robust and transferable alternative. Physics based models:

- rely less on expensive and complex experimental tests
- help illuminate important microstructural phenomena
- can extend the range of model applicability beyond the limits of experimental tests

Background

Although failure of metals occurs on a scale that is visible by the human eye, it is really the microscopic structure of the material that controls its occurrence. Thus, physics based models that **simulate the microstructure** can offer great insight into how and why failure occurs. The microstructure of ductile metals consists of countless **microscopic voids**. The mechanism for failure follows the stages below:



Micro-voids **nucleate** from particles or different phases in the material.

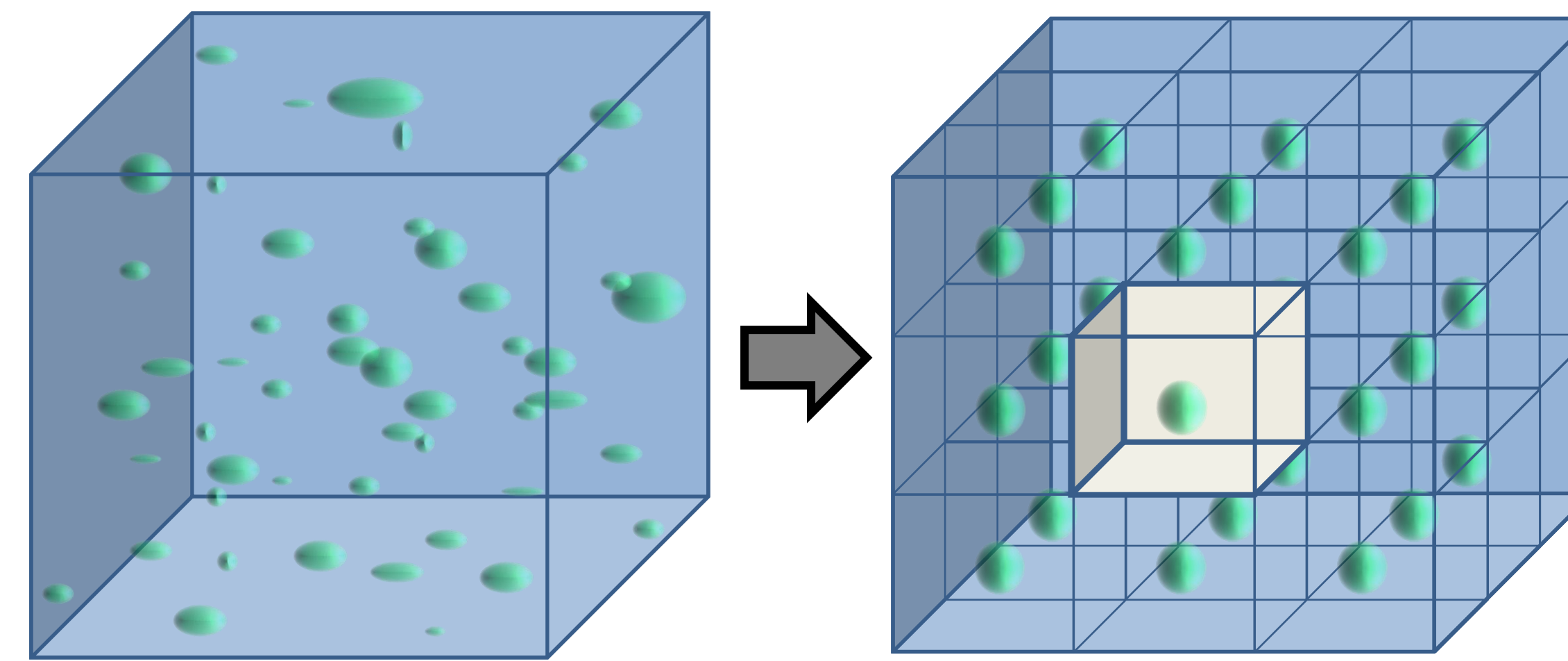
The voids **grow** significantly through loading of the material.

Eventually, the voids start to **coalesce** with each other.

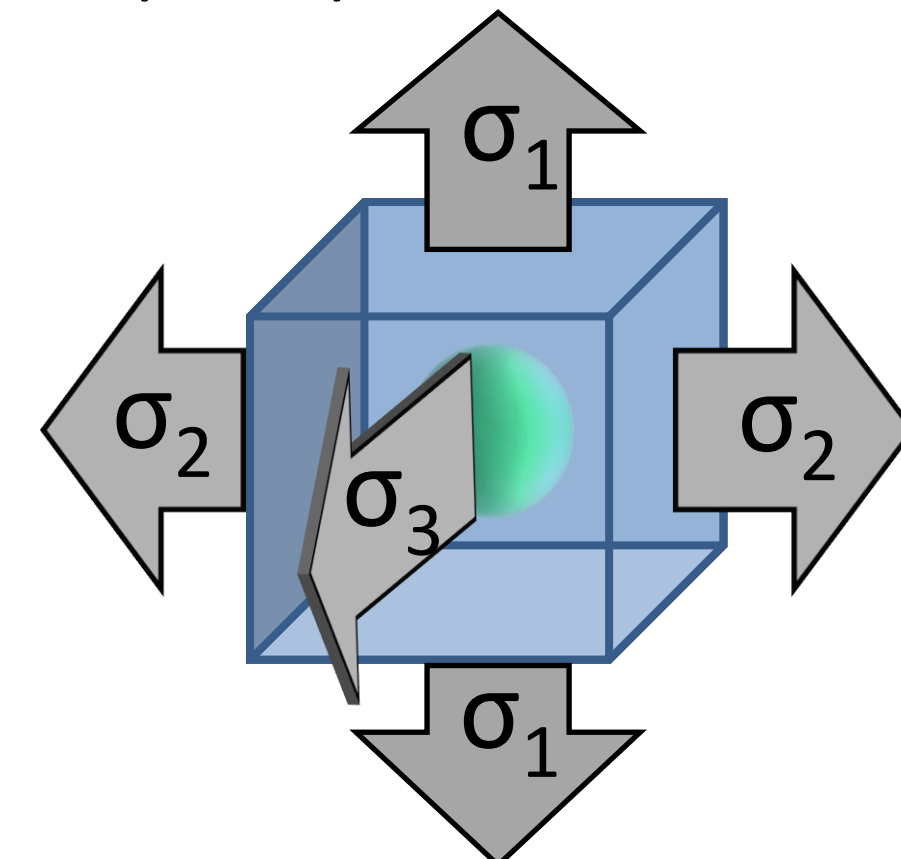
Finally, failure occurs through large scale **fracture** of the material.

Methods

In the material, the size, spacing, and orientation of the **micro-voids have random distributions**. For simplification, a model was created that assumes the voids are periodically spaced; it has the same void volume fraction and average void size as the real microstructure.



By modeling the distribution of voids as a periodic array, a **single unit cell can be used to simulate the entire microstructure**. The unit cell is analyzed by use of the Finite Element (FE) method.



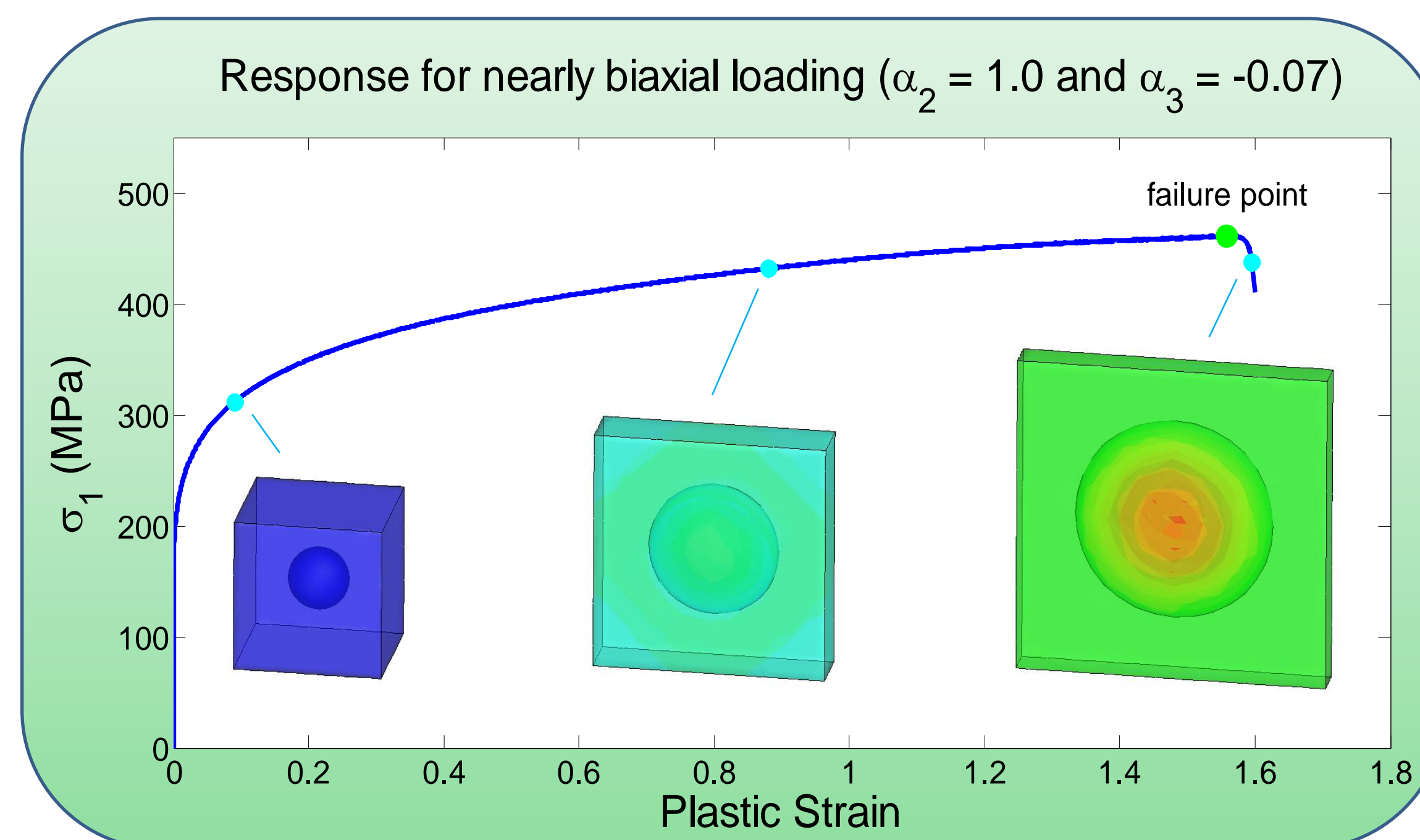
Deformations are applied to each face such that the stress loading ratios α_2 and α_3 are kept constant.

$$\alpha_2 = \frac{\sigma_2}{\sigma_1} \quad \alpha_3 = \frac{\sigma_3}{\sigma_1}$$

$$\sigma_1 \geq \sigma_2 \geq \sigma_3$$

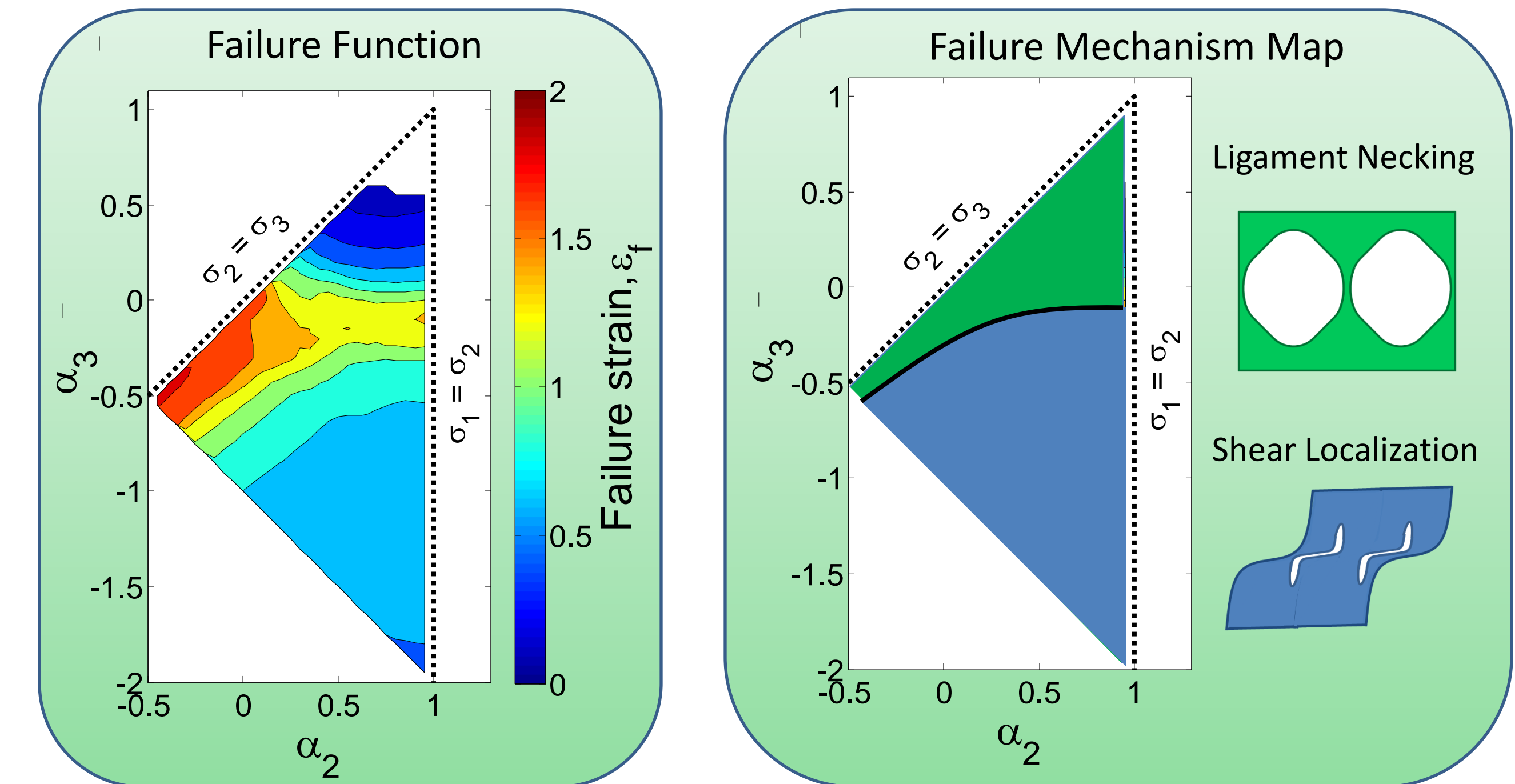
Many simulations, each with a given set of load ratios, were performed.

For each test the deformation is increased until failure occurs. **The failure point is defined as the point at which a maximum stress state is reached**. The plastic strain at which failure occurs is called the **failure strain (ϵ_f)**. The failure point for each simulation is recorded and combined to give **failure as a function of loading**.

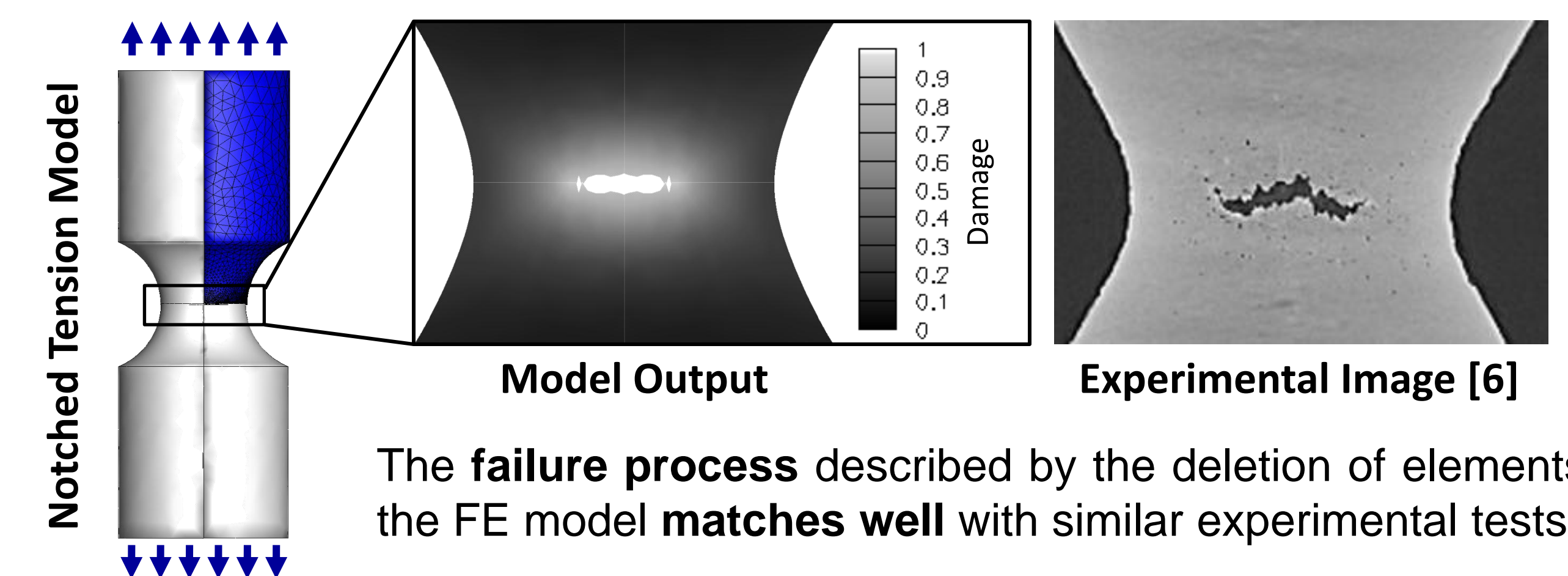


Results

The resulting failure function has two distinct regions that are separated by a ridge of high failure strain. The two regions correspond to two different failure mechanisms: **ligament necking** and **shear localization**. The shape of the failure function matches well with experimental data [3][4][5].



The failure function is incorporated into a larger scale FE model of a round notched tension test. The **failure function is used to predict the failure of the individual elements** of the model.



The **failure process** described by the deletion of elements in the FE model **matches well** with similar experimental tests.

The rate at which the process occurs, however, is significantly different than experiment [7]. The proposed **model over predicts the ductility** (elongation to failure) of the notched bar **by nearly 60%**. The reasons for the over prediction were investigated and it was found that:

- Effects of **heterogeneity** in the microstructure account for most of the error.
- Absence of **nucleation** in the model accounts for most of the remaining error.

Conclusion

The proposed physics based model is able to capture the qualitative effects of the failure of metallic materials; however, the model over predicts ductility. Further refinement and the incorporation of nucleation and heterogeneity will greatly enhance the model's predictive capabilities. The model will offer a valuable supplement to experimental tests and will offer increases in efficiency, reliability, and applicability of metals and their alloys.